"Combinatorics of infinite Jeu de Taquin ("15") and random Young tableaux: interrelation of combinatorics and probability"

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4. Problem:dimension in combinatorics. How to extend these results on the general lattices $\mathbb{Z}_+^d$? Does thee exist the generalization of RSK?